

A dynamic service mechanic problem for a housing corporation

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Outline

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Introduction

Housing corporation

- > Maintenance of houses: known well-ahead
- > Emergency incidents: unforeseen

Same mechanics used to serve both types of jobs Subcontractors also available

Decision: which jobs to serve with own mechanics, which ones to subcontract



Problem description

1

Service mechanics problem:

Decision to take today, for the entire planning period: which maintenance activities to assign to own mechanics and which ones to subcontractors

Decision criterion: expected costs of serving all jobs

Problem description

2

Characteristics

- > Jobs: maintenance activities and emergency incidents
- > Mechanics: handymen and experts
- > Subcontractors
- > Activities: start and end time, number and type of mech.
- > Incidents: arrival and due time, duration, number and type of mechanics
- > Costs: only for subcontracting, today less expensive than during planning period, and experts jobs more expensive

Problem description

3

Two versions of problem: with and without overtime

Overtime: only if remaining duration of job at most 4 hours Moreover: maximum on the number of available overtime hours and cost involved, less expensive than subcontracting

Two-stage recourse model

1

First stage

Only activities explicitly

Probabilistic information on incidents

Decision: for each activity whether or not to subcontract

Subcontracted activities not reconsidered in second stage

Objective: total expected costs (first and second stage)

Two-stage recourse model

2

Second stage

Dynamic problem, incidents arrive one-by-one

Decisions: start time of each incident

assignment of all jobs to mechanics

First decision immediately after arrival, second one as late as possible

Two-stage recourse model

3

Notice:

1st stage: today probabilistic information is assumed (stochastic programming)

2nd stage: during planning period no knowledge on incidents (online optimization)



Online strategies

Four online strategies to make second-stage decisions Two for problem without overtime:

- > Simple
- > Search

Two for problem with overtime:

- > Simple with Overtime
- > Search with Overtime



Simple

- 1. Activities are permanently assigned to own mechanics
- 2. After arrival of incident:
 - Start time = arrival time
 - Assign incident to mechanics:
 Own mechanics attempted first, otherwise subcontractors



Search

Activities tentatively assigned to own mechanics

After arrival of incident, search for start time:

Earliest time when enough own mechanics are available

If successful, incident tentative assigned to own mechanics

If not, at least one job needs to be subcontracted assignment heuristic

Tentatively assignments become permanent when job starts

Search

2

Assignment heuristic (greedy)

Consider all tentatively assigned jobs

Order: decreasing costs for subcontracting

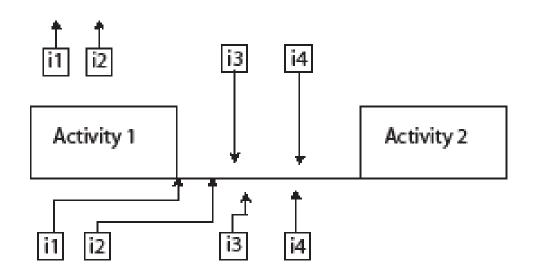
Assign jobs one-by-one to own mechanics or subcontractors

Subcontracting is permanent decision



Difference Simple - Search

Simple



Search



Simple with Overtime

Same as strategy Simple
But, order of assigning incidents:
own mechanics regular hours,
own mechanics overtime hours,
subcontractors

Search with Overtime

Same as strategy Search
Implementation of overtime as in strategy
Simple with Overtime



Genetic Algorithm

To calculate expected costs of a solution, a sample of realizations of the incidents is drawn



Numerical experiments

Data

- > Length planning period: 2 weeks
- > 10 activities: duration 1 5 days, 2 4 mechanics
- > 50 incidents (average): duration 1 8 hours (85%) or 2 3 days (15%), 1 2 mechanics
- > Sample: 250 realizations
- > Each online strategy: 15 instances

CPU time: less than 7 minutes



Results

For all strategies:

Compare original model to myopic model Both solutions evaluated with 'true' objective

Online strategy	Increase in estimated costs (in %)
Simple	3 – 22
Search	3 – 28
Simple with Overtime	1 - 15
Search with Overtime	1 - 21.5

Results

2

Simple strategies more expensive than Search strategies

feasible region Search bigger

Strategies with Overtime less expensive than those without

overtime less expensive than subcontracting



Summary and conclusion

- > 'New' problem, two versions: with and without overtime
- Model: dynamic, combination of stochastic programming and online optimization
- > Four online strategies
- > Our model better than myopic model
- > Search strategies give lower estimated costs
- > Strategies with overtime less expensive
- > CPU time small



